# Reconstructing Phylogenetic Trees: Distances, Parsimony, and Likelihood

September 25th 1,2008





- I. Counting evolutionary changes.
- II. Searching for the most parsimonious tree.
  - Exploring tree space.
  - Sequence of taxon addition.

III.Performance of parsimony.

IV.Problems with parismony.



# I. Counting the Number of Changes

- The Fitch/Wagner method.
- The Dollo method.



# Fitch/Wagner Method $\{C\} \{A\} \{C\} \{A\} \{G\}$

- Postorder tree transversal.
- At internal node, create intersection of descendent sets.
- If empty, create union of descendent sets.







# I. Counting the Number of Changes

- The Fitch/Wagner method.
  - General model for reversible change.
- The Dollo method.
  - Model for characters that are considered more likely to evolve in one direction.



#### **Dollo Method**



# Eyeless Eye $0 \xrightarrow{\text{Difficult}}_{\text{Easy}} 1$







Blind cave fish Photo by Rick Olsen



















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# I. Counting the Number of Changes

- The Fitch/Wagner method.
  - General model for reversible change.
- The Dollo method.
  - Model for characters that are considered more likely to evolve in one direction.



# **Optimality Criterion**







# How Many Trees?

Taxa	Unrooted Trees	Rooted Trees
4	3	15
8	10,395	135,135
10	2,027,025	34,459,425
22	3x10^23	
50	3x10^74*	

\* More trees than there are atoms in the universe.



# II. Searching For the Optimal Topology

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1.Exhaustive

- Examines all possible trees.
- Only works for small number of taxa (<12).

2.Branch & Bound

- Ignores trees that are sure to be worse.
- Again, only works for small numbers (<18).

3.Heuristic

- Uses algorithms to explore tree space.
- Only method that works for large datasets.



#### 1. Exhaustive Search





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#### 1. Exhaustive Search





#### 1. Exhaustive Search

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Figure 5.3: Search tree for most parsimonious tree in a five-species case.



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Figure 5.4: Search tree for most parsimonious tree for five species, using the data of Table 1.1. Trees are shown in Figure 5.3. Dashed lines are those not traversed by a branch and bound method. The species names in the data set correspond to labels A through E in Figure 5.3.



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#### The greedy search algorithm

Higher Peak Missed by Greedy Analysis



Figure 4.1: A surface rising above a two-dimensional plain (or plane). The process of climbing uphill on the surface is illustrated, as well as the failure to find a higher peak by this "greedy" method.



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1.Rearranging the topology

- Nearest neighbor interchange (NNI).
- Subtree pruning and regrafting (SPR).
- Tree bisection and reconnection (TBR).
- 2.Sequence of taxon addition
  - Multiple sequence addition replicates required to avoid non-optimal peaks.





- Nearest Neighbor Interchange (NNI)
- Dissolve an internal branch and reform in the two other possible ways.

is rearranged by dissolving the connections to an interior branch

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and reforming them in one of the two possible alternative ways:



Figure 4.2: The process of nearest-neighbor interchange. An interior branch is dissolved and the four subtrees connected to it are isolated. These then can be reconnected in two other ways.



- Nearest Neighbor Interchange (NNI)
- Dissolve an internal branch and reform in the two other possible ways.



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**Figure 26** Branch swapping by nearest-neighbor interchanges (NNIs). Each interior branch of the tree defines a local region of four subtrees connected by the interior branch. Interchanging a subtree on one side of the branch with one from the other constitutes an NNI. Two such rearrangements are possible for each interior branch.



- Subtree Pruning and Regrafting (SPR)
- Remove some chunk of the tree and try placing it in every possible position on the remainder of the original tree.



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Figure 4.5: Subtree pruning and regrafting (SPR) rearrangement. The places where the subtree could be reinserted are shown by arrows. The result of one of these reinsertions (at the branch that separates B and C from the other species) is shown.



- Tree Bisection and Reconnection (TBR).
- More elaborate form of SPR in which the two possible subtrees are merged in every possible way.



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Figure 4.6: Tree bisection and reconnection (TBR). A branch is broken and the two tree fragments are reconnected by putting in branches between all possible branches in one and all possible branches in the other. One of these reconnections and its result are shown here.







- Taxon addition sequence.
  - Manner in which taxa are added to the analysis can influence the results of a heuristic analysis.



Figure 4.8: Sequential addition carried out on the data in Table 1.1. The species names A–E correspond, respectively, to the names Alpha through Epsilon in Table 1.1. Sequential addition ends up with four trees tied for best. None of these is actually the most parsimonious tree.



- Taxon addition sequence.
  - Manner in which taxa are added to the analysis can influence the results of a heuristic analysis.
  - Always run multiple sequence addition replicates.



Figure 4.8: Sequential addition carried out on the data in Table 1.1. The species names A–E correspond, respectively, to the names Alpha through Epsilon in Table 1.1. Sequential addition ends up with four trees tied for best. None of these is actually the most parsimonious tree.



# III. Performance of Parsimony





# III. Performance of Parsimony

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# IV. Problems with Parsimony

- Substitutional saturation.
- Long-branch attraction & the dreaded "Felsenstein Zone"






#### In the Felsenstein Zone

Pattern type





#### In the Felsenstein Zone





#### 39 **IV. Problems with** Parsimony (b) 1.0 **Corrected methods** 0.30 0.30 (Maximum likelihood & Probability of finding correct tree 0.8 distance clustering) ML: Kimura model 0.6 NJ: Kimura distances NJ: uncorrected Parsimony: weighted 0.4 Parsimony: uncorrected **UPGMA:** Kimura distances 0.2 **Uncorrected Parsimony Uncorrected Distances** 0 ──┬──┬**└**╎<sup>╏</sup>┬┬┬┬┐

Length of sequence

1000

10000

100000



100

10

- DNA distances.
- Using models of evolution to 'correct' DNA distance estimates.



## **Uncorrected 'p'** $p = n_d / n$

- p = proportion of nucleotides that differ between two sequences.
- nd = number of differences.
- n = total sequence length.



### **Saturation Curve**





## **Types of Changes**





# **Correction of Distances**





- 1. Different types of substitutions (transitions, transversions, etc.).
- 2. Different nucleotide frequencies.
- 3. Rate variation among sites.
- 4. Proportion of sites lacking polymorphism.











- 1. All types of substitutions equally likely.
- 2. All nucleotides present at the same frequency.
- 3. No rate variation among sites.
- 4. All sites potentially variable.



## **Transition Bias**

Type of sequences	Transition/transversion ratio ( $\kappa$ )			
mtDNA	9.0	A G Transitions		
12S rRNA	1.75	Transversions		
$\alpha$ - and $\beta$ -globins	0.66	Transversions		
Pseudo $\eta$ -globin	2.70	C T Transitions		



## **Transition Bias**











- 1. Transitions & transversions assigned different rates.
- 2. All nucleotides present at the same frequency.
- 3. No rate variation among sites.
- 4. All sites potentially variable.









- 1. Each type of reversible substitution with its own rate.
- 2. Nucleotides frequencies vary.
- 3. No rate variation among sites.
- 4. All sites potentially variable.



#### **Rate Parameters for ML**

$$\mathbf{Q} = \begin{pmatrix} - & \alpha & \alpha & \alpha \\ \alpha & - & \alpha & \alpha \\ \alpha & \alpha & - & \alpha \\ \alpha & \alpha & \alpha & - \end{pmatrix}$$

Jukes-Cantor (1969)

$$\mathbf{Q} = \begin{pmatrix} - & \beta & \alpha & \beta \\ \beta & - & \beta & \alpha \\ \alpha & \beta & - & \beta \\ \beta & \alpha & \beta & - \end{pmatrix}$$

Kimura (1980) "2-parameter"

$$\mathbf{Q} = \begin{pmatrix} - & \pi_{\mathrm{C}}\beta & \pi_{\mathrm{G}}\alpha & \pi_{\mathrm{T}}\beta \\ \pi_{\mathrm{A}}\beta & - & \pi_{\mathrm{G}}\beta & \pi_{\mathrm{T}}\alpha \\ \pi_{\mathrm{A}}\alpha & \pi_{\mathrm{C}}\beta & - & \pi_{\mathrm{T}}\beta \\ \pi_{\mathrm{A}}\beta & \pi_{\mathrm{C}}\alpha & \pi_{\mathrm{G}}\beta & - \end{pmatrix}$$

Hasegawa-Kishino-Yano (1985)

$$\mathbf{Q} = \begin{pmatrix} \pi_{\mathrm{A}} r_{\mathrm{AA}} & \pi_{\mathrm{C}} r_{\mathrm{AC}} & \pi_{\mathrm{G}} r_{\mathrm{AG}} & \pi_{\mathrm{T}} r_{\mathrm{AT}} \\ \pi_{\mathrm{A}} r_{\mathrm{CA}} & \pi_{\mathrm{C}} r_{\mathrm{CC}} & \pi_{\mathrm{G}} r_{\mathrm{CG}} & \pi_{\mathrm{T}} r_{\mathrm{CT}} \\ \pi_{\mathrm{A}} r_{\mathrm{GA}} & \pi_{\mathrm{C}} r_{\mathrm{GC}} & \pi_{\mathrm{G}} r_{\mathrm{GG}} & \pi_{\mathrm{T}} r_{\mathrm{GT}} \\ \pi_{\mathrm{A}} r_{\mathrm{TA}} & \pi_{\mathrm{C}} r_{\mathrm{TC}} & \pi_{\mathrm{G}} r_{\mathrm{TG}} & \pi_{\mathrm{T}} r_{\mathrm{TT}} \end{pmatrix}$$

#### General-Time Reversible



#### Rate Variation Among Sites

#### • Gamma

- Shape parameter as the inverse of the squared coefficient of variation.
- Small coefficient of variation results in rates normally distributed around 1.
- Large coefficient results in many sites with a rate close to 0 and a few with very fast rates.





#### Rate Variation Among Sites

Type of sequences	α	<b>II</b> 1
Nuclear genes		
Albumin genes	1.05	
Insulin genes	0.40	
c-myc genes	0.47	
Prolactin genes	1.37	$\sim$ $\alpha = 0.25$
16S-like rRNAs, stem region	0.29	$\int \int $
16S-like rRNAs, loop region	0.58	
ψη-globin pseudogenes	0.66	nba
Viral genes	0.20	$\begin{array}{c} \mathbf{G} \\ \mathbf{H} \\ \mathbf{H} \\ \mathbf{\alpha} = 1 \\ \mathbf{\alpha} = 1 \\ \mathbf{\alpha} = 11.1111 \\ \mathbf{\alpha} = 0.2 \\ \mathbf{\alpha} = 11.1111 \\ \mathbf{\alpha} = 0.2 \\ \mathbf{\alpha} = 11.1111 \\ \mathbf{\alpha} = 0.2 \\ \mathbf{\alpha} = 0$
Hepatitis B virus genomes	0.26	cv = 1
Mitochondrial genes		
12S rRNAs	0.16	
Position 1 of four genes	0.18	
Position 2 of four genes	0.08	
Position 3 of four genes	1.58	00 05 10 15 20 25 30
D-loop region	0.17	0.0 0.0 1.0 1.0 2.0 2.5 5.0
Cytochrome b	0.44	Rate



## Selecting a Model





## Selecting a Model

• Use of Likelihood ratio test to identify most appropriate model.





#### **Importance of Model Selection**



Sequence Length



#### Synonymous v. Nonsynonymous

Second letter								
		U	С	А	G			
First letter	U	UUU UUC UUA UUG	UCU UCC UCA UCG	UAU UAC Tyr UAA Stop UAG Stop	UGU UGC UGA UGG Trp	U C A G	Third letter	
	С	CUU CUC CUA CUG	CCU CCC CCA CCG	CAU CAC CAA CAA CAG Gln	CGU CGC CGA CGG	U C A G		
	A	AUU AUC AUA AUG Met	ACU ACC ACA ACG	AAU AAC AAA AAG Lys	AGU AGC AGA AGG Arg	U C A G		
	G	GUU GUC GUA GUG	GCU GCC GCA GCG	GAU GAC GAA GAG Glu	GGU GGC GGA GGG	U C A G		





# **Corrected v. Uncorrected** <sup>62</sup> **Distances**





#### Corrected v. Uncorrected Distances









## Why Use Models?





## Why Use Models?

1.0 **Corrected methods** 0.30 0.30 (Maximum likelihood & Probability of finding correct tree 0.8 0.05 distance clustering) ML: Kimura model 0.6 NJ: Kimura distances NJ: uncorrected Parsimony: weighted 0.4 Parsimony: uncorrected **UPGMA: Kimura distances** 0.2 **Uncorrected Parsimony Uncorrected Distances** 0 ┯┯╅╔┯╍╍╍┖╔╍╍┯╴┯┥╎┙┯┯┯╖ 10000 100000 10 100 1000

Length of sequence



(b)

## Maximum Likelihood

- Invented by R. A. Fisher.
- Good properties:
  - Consistency (converges on correct parameters).
  - Efficiency (smallest possible variance around true parameter value).



R.A.Fisher



## Maximum Likelihood

- Typical thinking
  - Prob(Hypothesis|Data)
  - Prob(Tree|Data,Model)
- Maximum Likelihood thinking
  - Prob(Data|Hypothesis)
  - Prob(observed sequences | tree, model of evolution) = Likelihood(tree, model of evolution)



## Likelihood Estimation

- What is the probability of obtaining a heads (p) with the toss of an unknown coin?
- Data: HHTTHTHHTTT



## Likelihood Estimation

- What is the probability of obtaining a heads (p) with the toss of an unknown coin?
- Data: HHTTHTHHTTT
- L = Prob(D|p) = pp(1-p)(1-p)p(1-p)p(1-p)(1-p)(1-p) =  $p^{5}(1-p)^{6}$



#### Calculating Maximum Likelihood Values





#### Calculating Maximum Likelihood Values


# Calculating a Trees ML Score $\begin{pmatrix} 1 & j & N \\ (1) & C...GGACA..C..GTTTA...C \\ (2) & C...AGACA..C..CTCTA...C \\ (3) & C...GGATA..A..GTTAA...C \\ (4) & C...GGATA..G..CCTAG...C$

$$\mathbf{L} = \operatorname{Prob}(\mathbf{D} | \mathbf{T}) = \prod_{j=1}^{m} \operatorname{Prob}(\mathbf{D}^{(j)} | \mathbf{T})$$

• Likelihood of tree equals product of likelihoods or that tree at each individual position.



# Calculating a Trees ML Score $\begin{pmatrix} 1 & j & N \\ (1) & C...GGACA..C..GTTTA...C \\ (2) & C...AGACA..C..CTCTA...C \\ (3) & C...GGATA..A..GTTAA...C \\ (4) & C...GGATA..G..CCTAG...C$

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• Likelihood of tree equals product of likelihoods or that tree at each individual position.



Likelihood at site *j* =



Likelihood = Prob(C,C,A,G,X,Y|T) = Prob(Y)  $Prob(X|Y,b_1)$   $Prob(C|X,b_2)$   $Prob(C|X,b_3)$  $Prob(A|Y,b_4)$   $Prob(G|Y,b_5)$ 



Likelihood at site *j* =



Prob(C,C,A,G,G,C|T) = Prob(C) Prob( $G|C,b_1$ ) Prob( $C|G,b_2$ ) Prob( $C|G,b_3$ ) Prob( $A|C,b_4$ ) Prob( $G|C,b_5$ )



#### Prob(C,C,A,G,G,C|T) = Prob(C) Prob( $G|C,b_1$ ) Prob( $C|G,b_2$ ) Prob( $C|G,b_3$ ) Prob( $A|C,b_4$ ) Prob( $G|C,b_5$ )

**Probabilities under Kimura 2 Parameter Model** 

1. Prob(transition|b) =

$$\frac{1}{4} - \frac{1}{2} \exp\left(-\frac{2R - 1}{R + 1}b\right) + \frac{1}{4} \exp\left(-\frac{2}{R + 1}b\right)$$

2. Prob(transversion|b) =

$$\frac{1}{2} - \frac{1}{2} \exp\left(-\frac{2}{R+1}b\right)$$



Likelihood at site *j* =



 $\begin{array}{ll} Prob(C,C,A,G,G,C|T) = \\ Prob(C) & Prob(tranversion,b_1) & Prob(tranversion,b_2) & Prob(tranversion,b_3) \\ Prob(tranversion,b_4) & Prob(tranversion,b_5) \end{array}$ 



#### **Calculating a Trees ML Score** Likelihood at site *j* =



 $\begin{array}{ll} Prob(C,C,A,G,G,C|T) = \\ Prob(C) & Prob(tranversion,b_1) & Prob(tranversion,b_2) & Prob(tranversion,b_3) \\ Prob(tranversion,b_4) & Prob(tranversion,b_5) \end{array}$ 





- n-l nodes on tree with n species, each with one of 4 states
- 4<sup>n-1</sup> terms
- For n=10 there are 262,144
- For n=20 there are 274,877,906,944

# Calculating a Trees ML Score $\begin{pmatrix} 1 & j & N \\ (1) & C...GGACA..C..GTTTA...C \\ (2) & C...AGACA..C..CTCTA...C \\ (3) & C...GGATA..A..GTTAA...C \\ (4) & C...GGATA..G..CCTAG...C$

$$\mathbf{L} = \operatorname{Prob}(\mathbf{D} | \mathbf{T}) = \prod_{j=1}^{m} \operatorname{Prob}(\mathbf{D}^{(j)} | \mathbf{T})$$

• Likelihood of tree equals product of likelihoods or that tree at each individual position.



D. Swofford

## Problems with Likelihood

• Take a very long time.



(Siddall, 1998)

• The "Farris Zone"



## In the Farris Zone

True synapomorphy



Apparent synapomorphies actually due to misinterpreted homoplasy





## In the Farris Zone



#### Likelihood Analysis in PAUP

distichus070116Pars.mac4 INEXUS (MacClade 4.06 registered to Jonathan Losos, Washington University) BEGIN DATA: DIMENSIONS NTAX-55 NCHAR=1462; FORMAT DATATYPE=DNA HISSING=? GAP=- : HATRIX PAUP\* 4.0b10 (PPC/Altivec) 18 28 38 Total memory available: 180588K Largest free block: 178940K R\_occultur/ A distichus.BorO(12) A nunctatus, 14336/ ATGRGTCCARCRGTCTACCTTATTATTATCTCCARGCTTRACRACRGGRACAATTATTACRATARCARGCCRCCRCTGACTACT ATGAGCCCABCABCCABCTABTTATTTTTTTTTCABGCCTEGCABCAGCACCATCATTACCATABGCAGCTTCCACTGATTABT A\_bisaculatus/ A distichus,BarO(13) at second table at the test of A\_cris.Patillas.13828./ ATGAOCCCATCAATCTACSCAATTATAGTATCAAGCTTAGCAACCGGCACCATTATTACTATAACTAGTTATCACTOACTAAT B\_parcon/ A websteri/(7) A\_coudolis/ ATGRACCCACCARTCTACSCARTTATAGTATCAAGTCTASCARCCSCCACCATTATTACTATGACCAGTTATCACTGACTAAT R\_websteri/ A distichus/(9) A\_brevirostris/ **ATGAGCCCACTARTCCACACARTTATACTCTCA** ? A\_distichus/ **RTGROCCCGCCRRTCTRCGCRRTTRTRCTRTC** A distichus.Reco(10) Maximum likelihood options: A\_distichus.Recondo.546r ATGROCCCGCCRATCTACGCRATTATACTATC G т С Δ A\_brevirostris.OvPed.561r **ATGROCCCACTARTCCACACAATTATACTCT** A distichus.1stF(14) **Base Frequencies** A\_distichus.BarOv.565r ATGAGCCCACCARTTACGTAATTATACTTT μπ<sub>c</sub>a μn<sub>G</sub>D μπτC A\_distichus.BarOv.570r ATGAGCCCACCAATTTACGTAATTATACTTTC A distichus, Jose(19) A\_distichus.1stFord.574r ATGAGCCCGCCRATCTACGCRATTATACTATC Use empirical frequencies С μπ<sub>A</sub>a μn<sub>G</sub>đ µn<sub>T</sub>e A\_distichus.PedArroyo.610r ATGAGCCCGCCRATCTTCACAATCATACTATC 3726.ignig.366(28) A\_distichus.NPed.648/ ATGAGCCCGCCAATCTTCACAATTATACTATC Assume equal frequencies G μπ<sub>A</sub>b μπ<sub>T</sub>ſ A\_distichus.Dajabon.677r μη<sub>c</sub>d ATGROCCCACCARTTATGCAATTATATTAT 3727.ignig.366(29) Estimate A\_distichus.SanFran.712r ATGAGCCCACCARTCTATGCAATTATATTATC A\_distichus.Jose.724r **ATGROCCCGCCRATCTRCGCRATTRTRCTAT** Set to: A = 0.33676 µn<sub>c</sub>e μn<sub>G</sub>ſ 3728.ignig.366(30) μπ<sub>A</sub>C A\_distichus.HatoMayor.789 ATGAGCCCACCARTCTACGCAATTATGCTGTC Previous A\_distichus.Sanchez.842 ATGAGCCCGCCAATCTACGCAATTATACTATC C = 0.26188 3731.ignig.366(33) ATGAGCCCACCARTCTATGCAATTATATTATC 664.dist.38 -188-665.dist.38 ATGAGCCCGCCRATCTATGCRATTRTATTATC 3733.ignig.366(34) G∎ 0.11132 1264.dist.150 ATGAGCCCACCARTCTACGCAATTATACTATC **RTGRGCCCRCRRRTCTRTGCRRTTRTRTTRT** 1267. dist. 150 3730.ignig.366(35) 0.29003 Τ= ATGROCCCCCCCRATCTRCCCCRATTRTCTTCTC 3704.ignig.363 3703.ignig.363 **RTGROCCCOCCRETCTRCGCRRTTRTRTTRTC** A distichus.Sanc(21) "Two-parameter model variant for unequal base frequencies" 3726.ignig.366 3727.ignig.366 **RTGROCCCORCERNTCTRCGCRRTTRTRCTRT** 3887.ignig.380(43) Hasegawa-Kishino-Yano (1985) 3728.ignig.366 ATGROCCCGCCARTCTACGCRATTATACTATC Felsenstein (1984) 3749.domin.367 RTGROECCRCCRRTCTRTGCRRTTRTRTRTTRT 3886.ignig.380(48) 3745.domin.367 ATGROCCCRCCRRTCTRTGCRRTTRTRTTRT **ATGROCCCGCCRATCTRCGCRATTRTRCTRT** 3731.ignig.366 3704.ignig.363(26) 0K 3733.ignig.366 ATGAGCCCGCCRATCTACGCRATTATATTATC Defaults... Cancel ATGROCCCGCCARTCTACGCAATTATACTATC 3730.ignig.366 3703.ignig.363(27) 3747.domin.367 ATGAGCCCACCARTCTATGCAATTATATTAT 3775.prop.368 A distichus.Hato(20) 3770.prop.368 ATGAGCCCACCARTCTACGCAATTATGCTGTCAAGTCTAGCAACAGGAACTATTATTACTATGACTAGCTATCACTGACTAAT 3754.domin.367 ATGAGCCCACCAATCTATGCAATTATCATCAAGTTTAGCAACAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT 3775.prop.368(37) 3772.prop.368 ATGAGCCCACCARTCACSCARTTATGCTGTCAAGTCTACCARCAGGAACTATTATTACTATGACTAGCTATCACTGACTAAT 3755.domin.367 ATGAGCCCACCAATCTATGCAATTATCATCAAGTTTAGCAAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT 3770.prop.368(38) 3751.domin.367 ATGRGCCCRCCRRTCTATGCRATTATCATGTATCARGTTTRGCRRCRGGRACTATTATTACTATARCTRGTTRTCRCTGATTART 3887.ignig.388 3982.dist.367 AT0AGCCCCCCCCAATCTACCCAATTATACTATCAAGTTTACCAACAGCAACAGCAACTATTATTACTATAACTACCACCTAATCACTGACTAAT 3772.prop.368(40) ATGRGCCCRCCRRTCTATGCRATTATCATGTATCARGTTTRGCRACAGGRACTATTATTACTATAACTAGTTATCACTGATTAAT -100 3988.dist.367 ATGAGCCCACCARTCATGCAATTATATTATCAAGTTTAGCAACAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT 3779.prop.368(52) 3776.prop.368 ATGAGCCCACTAATCCACACAATTATACTCTCAAGTTTGGCAACAGGAACTATTATTACCATATCTAGCCACCACTGACTAAT 3792.brev.369 3776.prop.368(46) 3886.ignig.380 ATGAGCCCCGCCARTCACCGCARTTATCCTATCAAGTTTAGCAACGAGCAAGCAACTATTATTACTATCACTAGCTATCACTGACTAAT ATGAGCCCACCAATCTATGCAATTATCATCAAGTTTAGCAACAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT 3924.dist.381 A distichus.PedA(15) 3915.dist.381 3791.brev.369 3869.fovi11.371(54) 3779.prop.368 ATGRGCCCACCARTCTRCGCRATTRTGCTGTCRAGTCTRGCRACAGGRACTATTATTRCTRTGRCTAGCTATCRCTGACTART 3989.dist.381 ATGAGCCCACCAATCTATGCAATTATGTTATCAAGTTTAGCAACAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT A distichus.NPed(16) 3869.favi11.371 ATGAGCCCACCARTCTTCACARTCATGCTGTCAAGTTTAGCAACTGGAACTATTATTACTATAACCAGCTATCACTGGCTAAT 3912.dist.381 ATGAGCCCACCAATCTATGCAATTATTATCAAGTTTAGCAACAGGAACTATTATTACTATAACTAGTTATCACTGATTAAT A distichus.Daja(17) ÉND: 664.dist.38(22) 665.dist.38(23) ▼ (\$ O Taxon Sets
 Clear Execute Delete Stop Pause Taxon Sets - Taxa distichus070116Pars.mac4 1 Rad Sequences LIVE DUT

### **Likelihood Analysis**

distichus070116Pars.mac4



## **Tree Support**



#### Tree without support = crap



## **Tree Support**





#### **Measures of Tree Support**

- Heuristic Measures of Support
  - Majority rule consensus trees
  - Posterior Probability (Bayesian only)
  - The Bootstrap
  - Decay Index
- Hypothesis Testing
  - Paired-sites tests (e.g., Templeton Test, KH Test)
  - Parametric bootstrap



## Bayesian Posterior Probability

90



Generation



#### **Consensus Trees**

Tree 1

Tree 2



Consensus



Figure 2.26 from Page and Holmes 1999



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## Majority Rule Consensus





## **Bayesian Posterior Probabilties**

93



Generation



#### **Posterior Probabilities**



#### **Posterior Probabilities**



#### **Posterior Probabilities**



## Bootstrapping Sampling with replacement





#### Bootstrapping a Phylogenetic Dataset

3. Ask which nodes are shared among analyses of bootstrapped datasets and construct consensus.





## **Interpreting Bootstrap Values**

- Value on each node = percent of bootstrapped datasets that support that node.
- What is a "significant" bootstrap?
  - Most studies indicate that bootstrap values are conservative.
  - Depending on who you talk to, values ranging from 70-100% are considered reliable (Hillis and Bull 1993)



#### **Bayesian Posterior Probabilities Versus Bootstraps**





#### Bayesian Posterior Probabilities Versus Bootstraps





Erixon et al. 2003

#### **Multiple Measures**





## The Decay Index

- Also referred to as 'Bremer support.'
- How much longer would a tree have to be to *not* include a particular node?



#### **Calculating Decay Indices**

## 1. Generate tree whose only structure consists of the node of interest.





#### Method for Calculating Decay Indices

## 2. Obtain the best tree lacking a particular node.

distichus070116Pars.mac4									
MEXUS									
[MacClade 4.86 registered to	Jonathan Losos,	Hashington	Universit,	µ1					
DIMENSIONS NTAX=55 NCHA	B=1462:								
FORMAT DATATYPE=DNA MIS	SING=? GAP=- ;								
MATRIX	19	28	38	48	50	58	78	88	PAUP* 4.0b10 (PPC/Altivec)
li		-							Tatal memory susibility 190656K Lacent free block: 170009K
8-occulture/	ATGAGCCCCARTERT	стасттавтес	TTTEETTE	TTATTATA	2228088080	тавтавссей	TAGCORCOPIT	GATTATT	
A_punctatus,14336/	ATGRGTCCARCRGTC	TACCTTATTAT	TATCTCARGO	TTARCARCAG	GRACARTTA	TTACARTAR	CARGCCACCACT	GACTACT	CT
A_bimaculatus/	ATGAGCCCAACAATC	RATATAATTAT	TTTATCARGO	CTROCRACRO	SOCACCATCA	TTACCATAR	SCAGCTTCCACT	GATTAAT	75.50
A_marron/	ATGROCCCATCRATC	TACOCAATTAT	AGTATCARGO	TTAOCARCO	SOCACCATTA	TTACTATAA	CTAGTTATCACT	GACTAAT	67.43
A_coudalis/	ATGRACCCACCARTC	TACGCARTTAT	AGTATCAAGT	TTABCAACCO	SCCACCATTA	TTACTATGA	CAGTTATCACT	GACTART	AT
A_brevirostris/	ATGRGCCCACTRATC	CACACAATTAT	ACTOTOR	CTOCCOCCO	SCARCERET IN	TTACTATAT	Tescreccect	CACTAG	47.21
A_distichus/	ATGROCCCGCCRATC	TACOCRATTAT	ACTATCA	Unumietti	e Connehu	Π	Conoral fo	a a web /	Ontions =) (7,00
A_brevirostris.0vPed.561r	ATGROCCCACTRATC	CACACAATTAT	ACTOTOR	Heurisa	c search:	÷۹۱,	General Se	earch (	Uptions
A_distichus.BorOv.565r	ATGAGCCCACCAATT	TACGTAATTAT	ACTITCA						.***
A_distichus.1stFord.574r	ATGROCCCGCCARTC	TREGERETTRE TREGERETTRE	ACTATOR	Keep					Set MayTrops 99.87
A_distichus.PedArroyo.618r	ATGROCCCGCCRATC	TTCACARTCAT	ACTATCA	Bes	t trees or	ily			Set Maxirees
A_distichus.Deiabon.677r	ATGROCCCGCCRATC	TATOCARTTAT	ATTATCA	O All t	rees <u>s</u> c	ore		1	**.*********************************
A.distichus.SonFron.712r	ATGRGCCCACCRATC	TATOCAATTAT	ATTATCA	1 ô E	hes	ttrees		-	
R_distichus, Jose, 724r R_distichus, Hatohavar, 789	ATGROCCCGCCRATC	TROUCARTTRE	OCTOTOR		Jes	cuces			**************************************
A_distichus.Sanchez.842	ATGRGCCCGCCRATC	TROCCARTTRT	ACTATCA						++++.++++++. 29.89
665.dist.38	ATGROCCCOCCOCCRETC	THIGCHHITHI	ATTATCA	🗹 Enfor	ce topolo	igical cor	nstraints —		**.***** 20.59
1264.dist.150	ATGROCCCACCARTC	TACOCARTTAT	ACTATCA	Const	traints:	PAUP 1	-		.*****
1267.dist.150 3784.japia.363	ATGRGCCCRCRRATC ATGRGCCCCCCCRCRATC	TATGCARTTAT	ATTATCA	Koon	troos the	*	<u> </u>		**.**.******* 24.90
3703.ignig.363	ATGAGCCCGCCAATC	TACGCARTTAT	ATTATCA	Neep	Are C	Are NOT			.**
3726.ignig.366	ATGROCCCGCCRATC ATGROCCCGCCGRATC	TACOCARTTAT	ACTATCA	1	e Are (	hie with	constraints		**.**** 22.21
3728.ignig.366	ATGROCCCOCCRATC	TACOCAATTAT	ACTATCA		compati	ble with	constraints	•	*** 18.64
3749. domin. 367	ATGRGCCCACCRATC	TATGCARTTAT	ATTATCA						
3731.ignig.366	ATGRGCCCGCCRATC	TACGCARTTAT	ACTATCA	Defeut					Connect [ Connect ]
3733.ignig.366	ATGROCCCGCCRATC ATGROCCCGCCCARTC	TACOCANTTAT	ATTATCA	Default	.s				Cancel Search ++++++++++++++++++++++++++++++++++++
3747. domin. 367	ATGROCCCACCARTC	TATOCARTTAT	ATTATCA						***.******************************
3775.prop.368	ATGRGCCCRCCRATC	TREGERATION	GCTGTCRAGT	CTRECARCING	GRACTATTA	TTACTATOR	TRECTRECACE	GACTART	AT
3754.domin.367	ATGRGCCCACCARTC	TATOCARTTAT	ATTATCAAGT	TTAGCARCAG	GRACTATTA	TTACTATAA	CTAGTTATCACT	GATTAAT	10,75 AT 10,72
3772.prop.368	ATGROCCCACCRATC	TACGCARTTAT	OCTOTCRAGT	TTAGCARCAC	GRACTATTA	TTACTATOR	CTAGCTATCACT	GACTAAT	AT
3751.domin.367	ATGRGCCCACCARTC	TATGCARTTAT	ATTATCARG	TTAGCARCAC	GAACTATTA	TTACTATAR	CTAGTTATCACT	GATTAAT	ar
3887.ignig.388	ATGRGCCCGCCRATC	TACGCARTTAT	ACTATCAAGT	TTABCAACAC	GRACTATTA	TTACTATAR	CTAGCTATCACT	GACTAAT	AT**, *****************************
3988.dist.357	ATGRGCCCACCARTC	TATECARTTAT	ATTATCAAGI	TTAGCARCAC	SGRACTATTA	TTACTATAA	CTASTTATCACT	GATTAAT	AT
3776.prop.368	ATGRACCCRCCRATC	TACGCARTTAT	GCTGTCRAGT	ICTAGCAACAC	GRACTATTA	TTACTATAA	TAGCTATCACT	GACTART	AT
3886.ignig.380	ATGRGCCCGCCRATC	TACGCARTTAT	ACTATCAAGT	TTAGCARCAG	3GRACTATTA	TTACTATAA	TAGCTATCACT	GACTAAT	9.47 9.47
3924.dist.381	ATGRGCCCACCARTC	TATOCARTTAT	ATTATCARG	TTAOCAACAO	GRACTATTA	TTACTATAR	TASTTATCACT	GATTAAT	ar
3791.brev.369	ATGROCCCACTRATC	CACACAATTAT	ARTCTCRAGT	TTOOCARCAC	SORACTATTA	TTACCATATO	TAGCCACCACT	GACTART	AT
3779.prop.368	ATGRGCCCACCRATC	TACGCARTTAT	GCTGTCRAGT	TTAGCAACAC	GRACTATTA	TTACTATGA	TAGCTATCACT	GACTART	AT
3869. favi11.371	ATGAGCCCACCARTC	TTCACAATCAT	GCTGTCRAGT	TTAGCAACTO	GRACTATTA	TTACTATAA	CABCTATCACT	GOCTART	AT
3912.dist.381	ATGROCCCACCARTC	TATOCARTTAT	ATTATCAAGT	TTAGCARCAC	SGRACTATTA	ттастатаа	TAGTTATCACT	GATTAAT	AT
END;									5.68
									335 groups at (relative) frequency less than 5% not shown
									1 constraint-tree definition(s) loaded from file "dist.M.atr.trees"
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#### **Calculating Decay Indices**

- 1. Generate tree whose only structure consists of a particular node of interest.
- 2. Use constraint function in PAUP to obtain the best tree lacking a particular node.
- 3. Calculate decay index
  - Decay index = score for most parsimonious tree without constraint minus score for most parsimonious tree lacking the node of interest.



#### Automation of Decay Index Calculation in MacClade

- Often calculated for every node on a tree.
- Use of MacClade to automate generation of constraint trees.





#### **Well-supported Tree**



